# Sequences of primes that are congruent sco $n$ 

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#### Abstract

In a previous article I defined the Smarandache-Coman congruence on primes. In this paper I present few sequences of primes that are congruent sco n.


## Note:

I will first present again the notion of Smarandache-Coman congruence, which is very related with the notion of Smarandache-Coman divisors, which I also defined in a previous paper.

## Definition:

We define in the following way the Smarandache-Coman congruence on primes: we say that two primes $p$ and $q$ are congruent sco $n$ and we note $p \equiv q(s c o n)$ if $S(p-n)=S(q-n)=k$, where $n$ is a positive non-null integer and $S$ is the Smarandache function (obviously $k$ is also a non-null integer). We also may say that $k$ is equal to $p$ sco $n$ respectively $k$ is also equal to $q$ sco $n$ and note $k=p$ sco $n=q$ sco $n$.

## Note:

Because, of course, $S(3-1)=2$ and $S(3-2)=1$, there is no other prime that are congruent sco $n$ to 3. Also there is no other prime to be congruent sco $n$ to 5 so we start the sequences with the prime 7 .

## Note:

I will consider only the primes 7, 11, 13, 17 and 19 and the primes congruent sco $n$ to them less than 1000 and, because I didn't yet study deeply all the implications of this new notion, $I$ shall restrain myself from any comments or conjectures.

The sequence of primes congruent to 7 sco 2 (= 5):
( $n=2$ is obviously the only possible $n$ for such a congruence) : 17.

The sequence of primes congruent to 11 sco 4 (=7): : 23, 37, 107, 317.

The sequence of primes congruent to 13 sco 2 (= 11): : 79, 101, 167, 233, 277, 827.

The sequence of primes congruent to 13 sco 6 (=7): : 41.

The sequence of primes congruent to $13 \operatorname{sco} 8$ (= 5): : 11, 23.

The sequence of primes congruent to 17 sco 4 (=13): : 43, 199, 277, 397, 421, 433, 659, 719, 823, 977.

The sequence of primes congruent to 17 sco 6 (= 11): : 61, 83, 281, 797.

The sequence of primes congruent to 17 sco 10 ( $=7$ ): : 31, 73.

The sequence of primes congruent to 19 sco 2 (= 17): : 53, 181, 223, 257, 359, 461, 521, 563, 937.

The sequence of primes congruent to 19 sco 6 (= 13): : 71, 97, 137, 149, 331, 461.

The sequence of primes congruent to $19 \operatorname{sco} 8$ (= 11): : 41, 173, 239, 283, 347, 503, 701.

The sequence of primes congruent to 19 sco 12 (= 7): : 47.

The sequence of primes congruent to 19 sco 14 (= 5): : 29.

## References:

1. Coman, Marius, The Smarandache-Coman divisors of order $k$ of a composite integer $n$ with $m$ prime factors, Vixra;
2. Coman, Marius, Seventeen sequences of Poulet numbers characterized by a certain set of Smarandache-Coman divisors, Vixra.
3. Coman, Marius, The Smarandache-Coman congruence on primes and four conjectures on Poulet numbers based on this new notion, Vixra.
