

Motto: "The science wouldn't be so good today,
if yesterday we hadn't thought about today"

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ECCENTRICITY, SPACE BENDING, DIMMENSION

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0.1. ABSTRACT

This work's central idea is to present new transformations, previously non-existent in Ordinary mathematics, named centric mathematics (CM) but that became possible due to new born eccentric mathematics, and, implicit, to supermathematics.

As shown in this work, the new geometric transformations, named conversion or transfiguration, wipes the boundaries between discrete and continuous geometric forms, showing that the first ones are also continuous, being just apparently discontinuous.

0.2 ABBREVIATIONS AND ANNOTATIONS

C → Circular and Centric, **E** → Eccentric and Eccentrics, **F** → Function, **M** → Mathematics,
Circular Eccentric → CE, FCE → FCE, centric M → CM, eccentric M → EM,
Super M → SM, F CM → FCM, F EM → FEM, F SM → FSM

1. INTRODUCTION: CONVERSION or TRANSFIGURATION

In [linguistics](#) a **word** is the fundamental unit to communicate a meaning. It can be composed by one or more [morphemes](#). Usually, a word is composed by a basic part, named [root](#), where one can attach [affixes](#). To define some [concepts](#) and to express the domain where they are available, sometimes more words are needed; two, in our case.

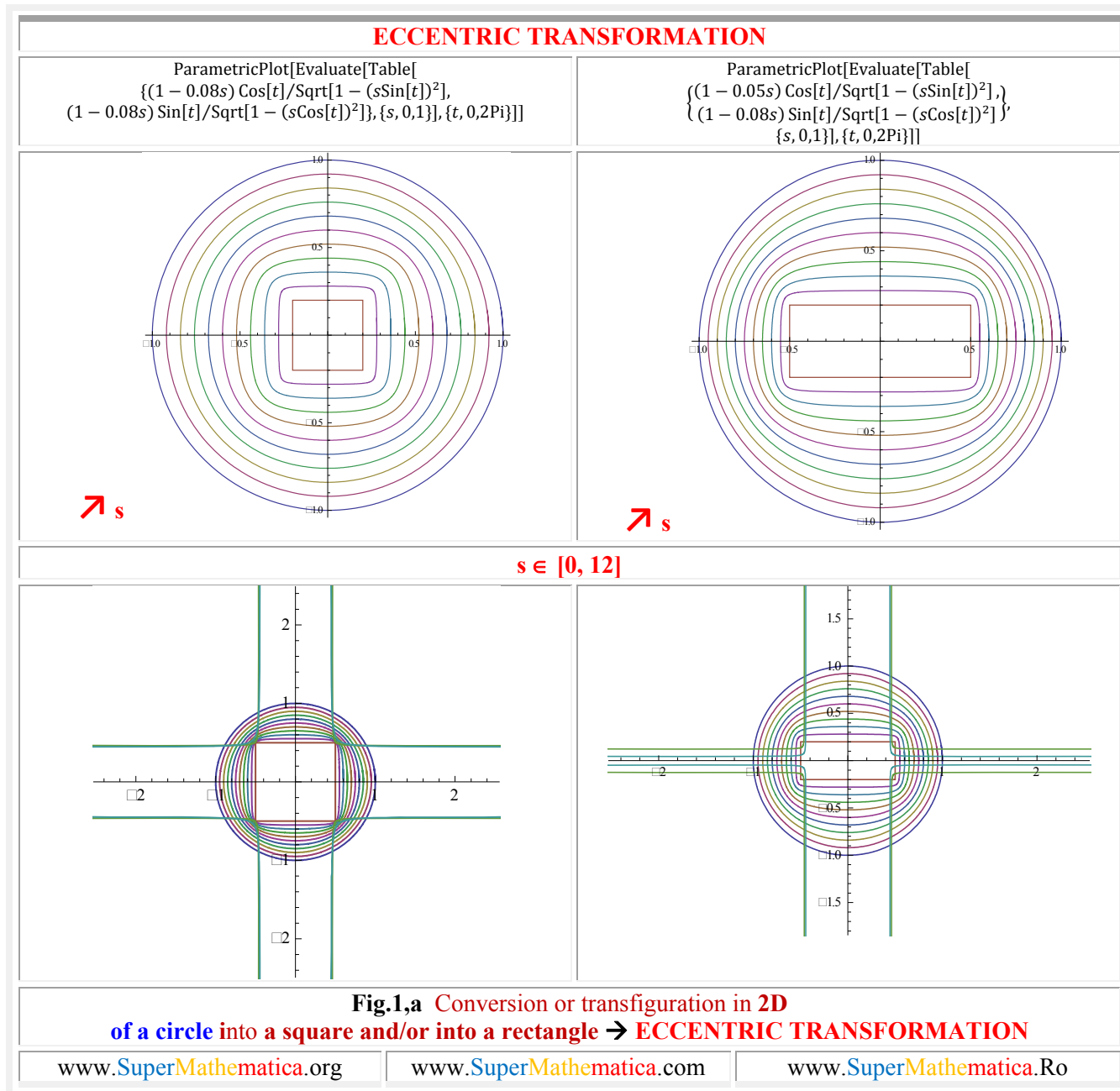
SUPERMATHEMATICAL CONVERSION

The concept is the easiest and methodical [idea](#) which reflect a finite of one or more/(a series)of attributes where these attributes are [essentials](#).

The concept is a minimal coherent and usable information, relative to an object, action, property or a defined event.

According the Explicatory Dictionary, [THE CONVERSION](#) is, among many other definitions / meanings, defined as "changing the nature of an object". Next, we will talk about this thing, about transforming / changing / converting, previously impossible in the ordinary classic mathematics, now named also **CENTRIC (CM)**, of some forms in others, and that became possible due to the new born mathematics, named **ECCENTRIC (EM)** and to the new built-in mathematical complements, named temporarily also **SUPERMATHEMATICS**

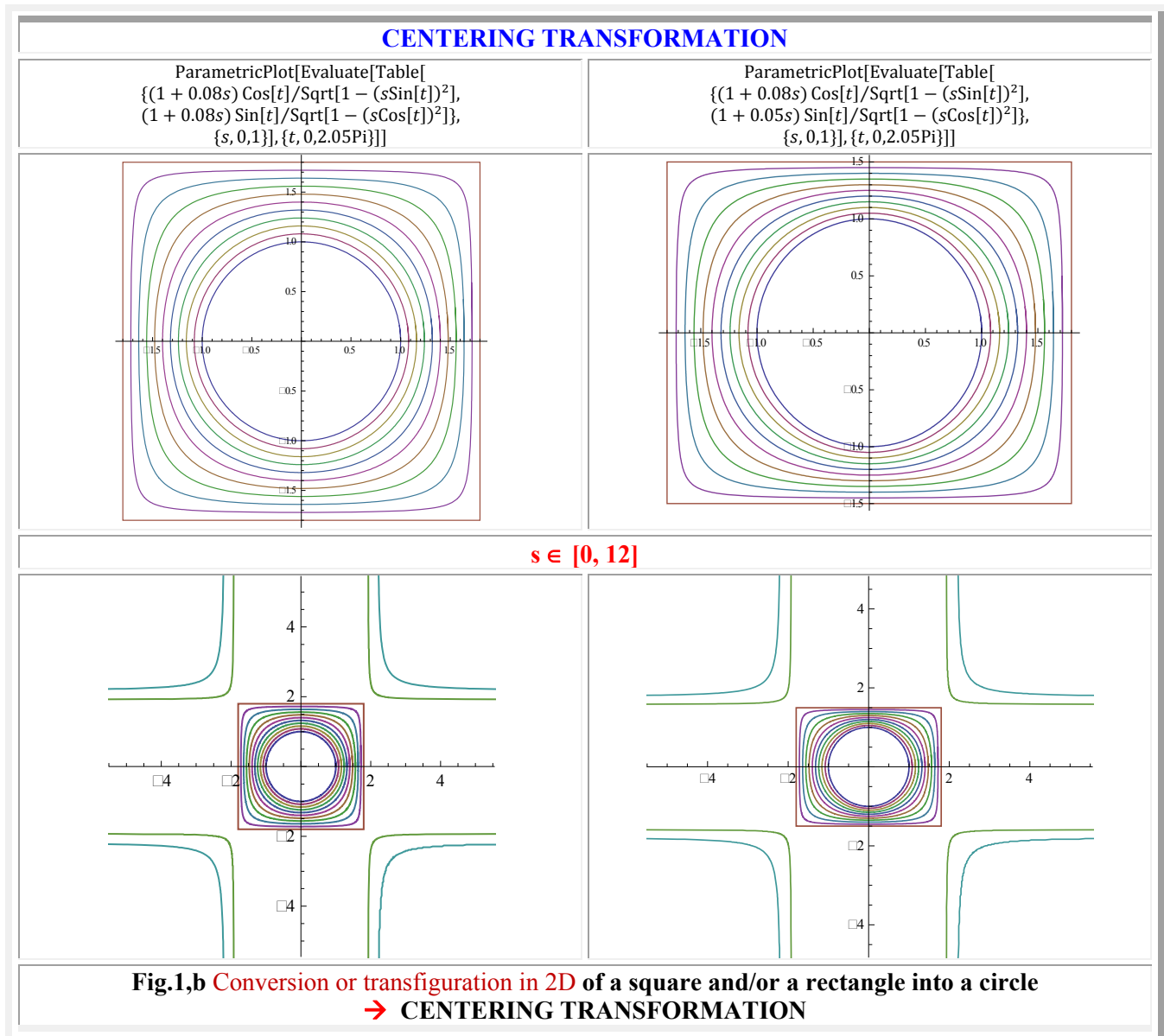
(SM). We talk about the [conversion](#) of a circle into a square, of a sphere into a cube, of a circle into a triangle, of a cone into a pyramid, of a cylinder into a prism, of a circular torus in section and shape into a square torus in section and/or form, etc. (**Fig. 1**).



SUPERMATHEMATICAL CONVERSION (SMC) is an internal pry for the mathematical dictionary enrichment, which consist in building-up of a new denomination, with one or more new terms, two in our case, by assimilating some words from the current language in a specialized domain, as Mathematics, with the intention to

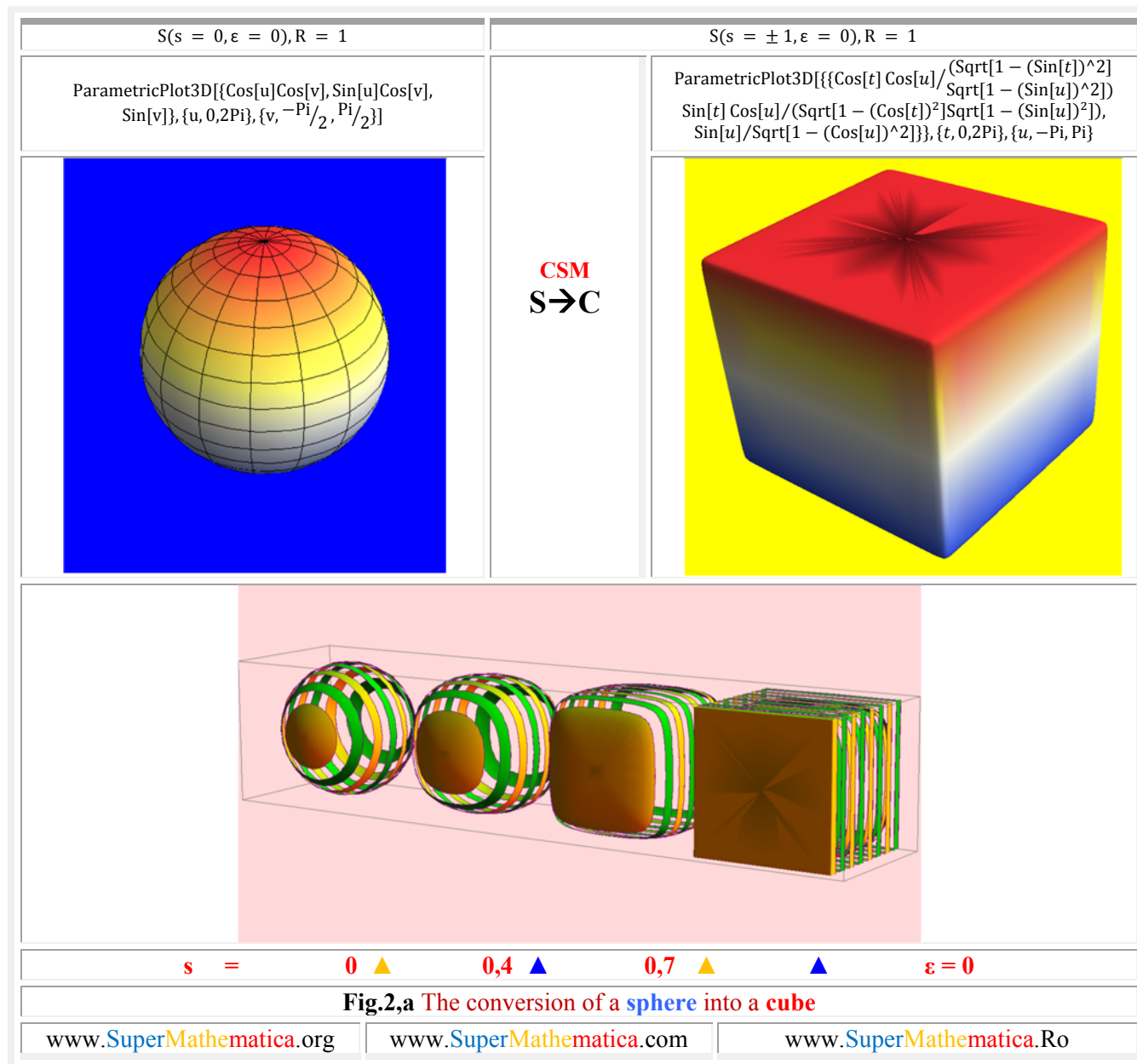
name, adequate, the new operations that became possible only due to the new born **eccentric mathematics**, and implicit, to **supermathematics**. Because previously mentioned conversions could not be made until today, in **MC**, but only in **SM**, we need to call them **SUPERMATHEMATICAL conversion (SMC)**

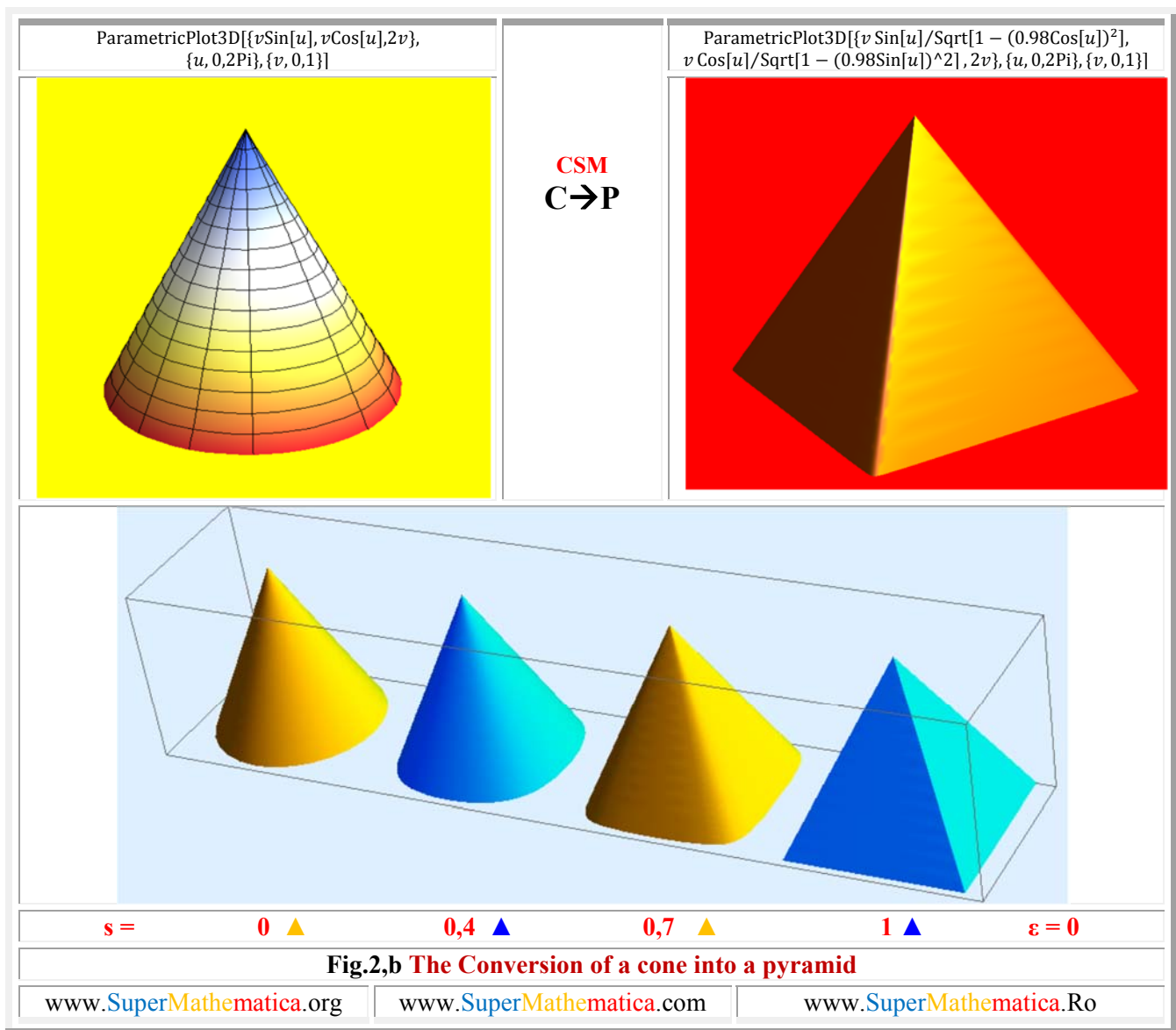
In [14] work, the continuous transformation of a circle into a square was named also **eccentric transformation**, because, in that case, the linear numeric eccentricity s varies/grows from 0 to 1, being a slide from centric mathematics domain **MC** $\rightarrow s = 0$ to the **eccentric mathematics, ME** ($s \neq 0$) $\rightarrow s \in (0, 1]$ where the circular form draws away more and more from the circular form until reach a perfect square ($s = \pm 1$).



In the same work, the reverse transformation, of a square into a circle, was named as **centering transformation**, by easy to understand means. Same remarks are valid also for transforming a circle into a rectangle and a rectangle into a circle (Fig. 1).

Most modern physicists and mathematicians consider that the [numbers](#) represent the reality's language. The truth is that [the forms](#) are those who generate all physical laws.





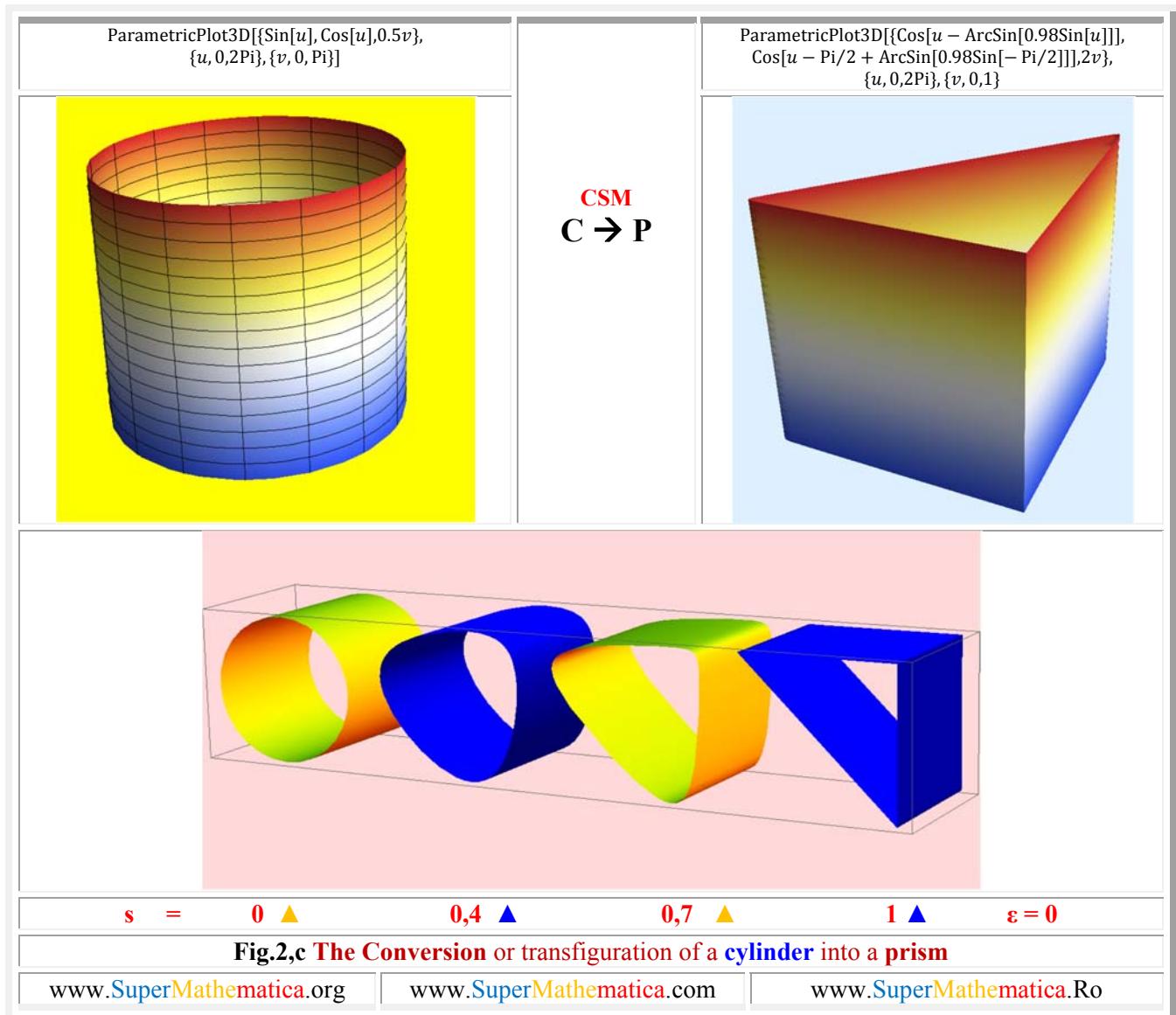
Look what the famous Romanian physicist **Prof. Dr. Fiz. Liviu Sofonea** in “**REPRESENTATIVE GEOMETRIES AND PHYSICAL THEORIES**”, Ed. Dacia, Cluj-Napoca, p. 24, in 1984, in the chapter named “**MATHEMATICAL GEOMETRY AND PHYSICAL GEOMETRY**” wrote:

“Trough *geometrization* we look for (deliberately and by sui generis) exactly the ordering directions (detailed, fundamentals, even the supreme, the *unique-unifier*) thinking about the pre-established (relating to physical theory undertaking) from the “geometrical worlds” built and moved after disciplined canons in *more geometrical* style (logical derivability and structure, geometrically proved, where it’s done), an extension with the purpose if “it works” also “*physically*”, and as we see that we have reasons to say “it really works”, we bargain on a methodological-operant gain, heuristically, but even gnoseological. But never *geometrical* pre-norming cannot be fully functional; it can be only (inherent) partial, limited, often a simple boundary marking, a

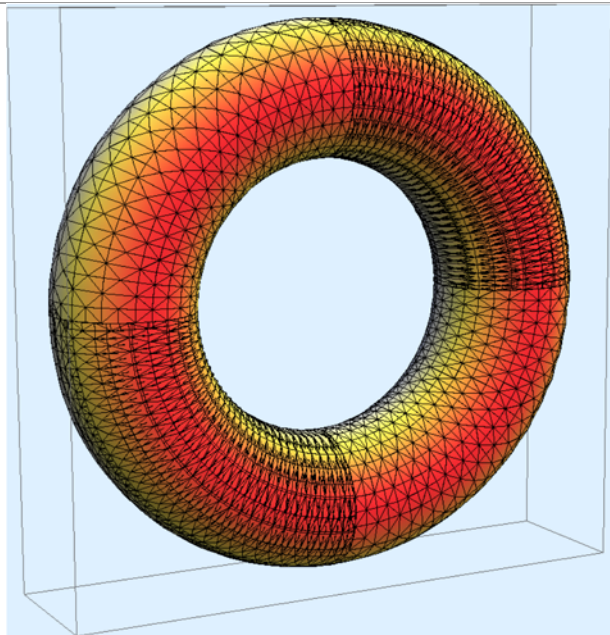
suggestion, an incitement, a scheme, sometimes too dummy, but we use it like a scaffold, to rise up, as we can, to a more adequate description or even more understanding”

In the **centric mathematical geometry** one is doing what can be done, how can be done, with what can be done, and in **supermathematical geometry** we can do what must be done, with what must be done, as we will proceed.

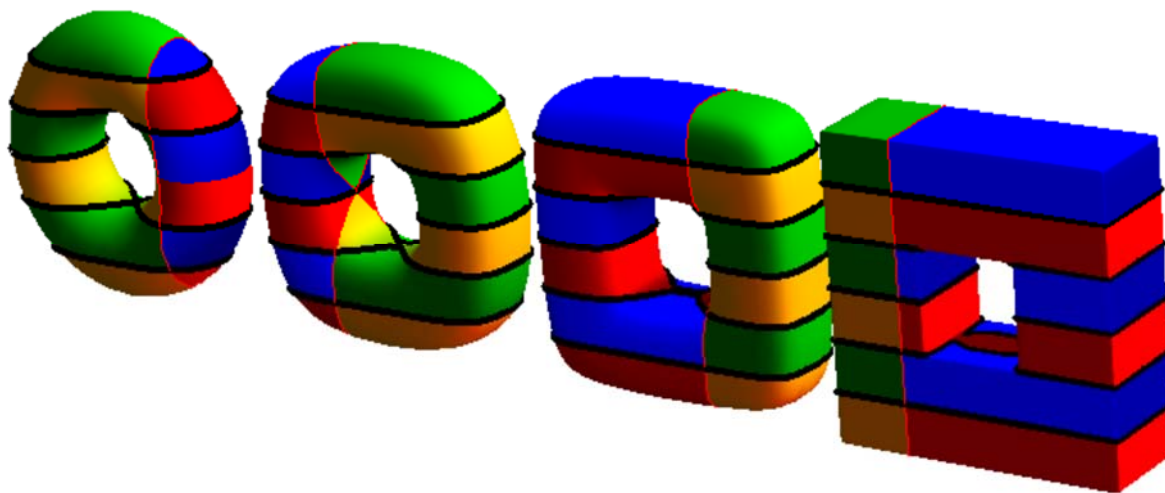
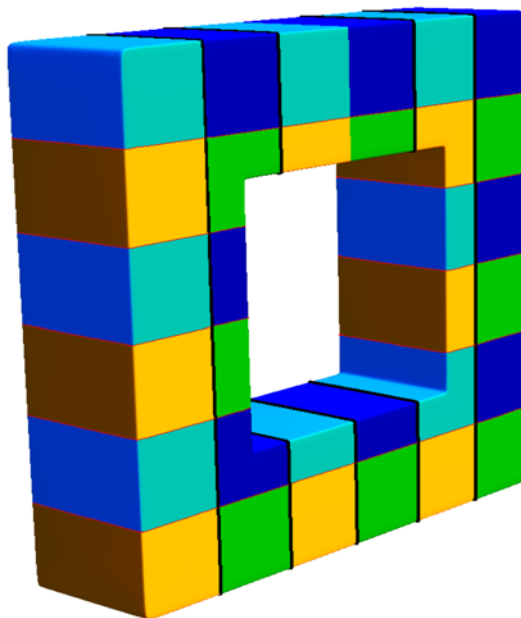
In the **supermathematical geometry**, between the elements of the “**CM scaffold**”, one can introduce as many other constructive elements we want, which will give an infinitely denser scaffold structure, much more durable and, consequently, higher, able to offer an unseen high level and an extremely deep description and gravity.



ParametricPlot3D[{(3 + Cos[v])Cos[u],
(3 + Cos[v])Sin[u], Sin[v]}, {u, 0, 2Pi}, {v, 0, 2Pi}]



ParametricPlot3D[{
(3 + Cos[v]/Sqrt[1 - (Sin[v])^2]) Cos[u]/Sqrt[1 - (Sin[u])^2],
(3 + Cos[v]/Sqrt[1 - (Sin[v])^2]) Sin[u]/Sqrt[1 - (Cos[u])^2],
Sin[v]/Sqrt[1 - (Cos[v])^2]}, {u, 0, 2Pi}, {v, 0, 2Pi}]



s = 0 ▲

0,4 ▲

0,7 ▲

1 ▲ ε = 0

Fig.2,d The conversion or transfiguration of the circular thorus into a square thorus, both in form and in section

The fundamental principles of the geometry are, according their topological dimensions: the **corps** (3) the **line** (2) and the **point** (0)

The elementary principles of geometry are the point, the line, the space, the curve, the plane, geometrical figures (segment, triangle, square, rectangle, rhombus, the polygons, the polyhedrons, etc, the arcs, circle, ellipse, hyperbola, the scroll, the helix, etc.) both in 2D and in 3D spaces.

With the fundamental geometrical elements are defined and built all the forms and geometrical structures of the objects:

- Discrete forms, or discontinuous, statically, directly, starting from a finite set (discrete) of points, statically bonded with lines and planes.
- Continuous forms, or dynamical, mechanical, starting from a single point and considering its motion, therefore the **time**, and obtaining in this way continuous forms of curves, as trajectories of points or curves traces, in the plane (2D) or in the space (3D)

Consequently, one has considered, and still is considering, the existence of two geometries: the geometry of discontinuous, or discrete geometry, and the geometry of the continuum.

As, both the objects limited by plane surfaces (cube, pyramid, prism), apparently discontinuous, as those limited by different kinds of continuous surfaces (sphere, cone, cylinder) can be described with the same parametric equations, the first ones for numerical eccentricity $s = \pm 1$ and the last ones for $s=0$, it results that in **SM** exists only one geometry, the geometry of the continuum.

In other words, the **SM** erases the boundaries between continueous and discontinuous, as **SM** erased the boundaries between linear and nonlinear, between centric and eccentric, between ideal/perfection and real, between circular and hyperbolic, between circular and elliptic, etc.

Between the values of numerical eccentricity of $s=0$ and $s = \pm 1$, exists an infinity of values, and for each value, an infinity of geometrical objects, which, all of them, has the right to a geometrical existence.

If the geometrical mathematical objects for $s \in [0 \vee \pm 1]$ belongs to **the centric ordinary mathematics (CM)** (circle→ square, sphere→ cube, cylinder→ prism, etc.), those for $s \in (0 , \pm 1)$ has forms, equations and denominations unknown in this **centric mathematics (CM)**

They belongs to the new mathematics, the **eccentric mathematics (EM)**, and, implicit, to the **supermathematics (SM)** which is a reunion of the two mathematics: **centric** and **eccentric**, that means **SM = MC \cup ME**

By erasing the boundaries between centric and eccentric, the **SM** implicitly dissolved the boundaries between **linear** and **nonlinear**, the linear being the appanage of **CM** and the **nonlinear** of the **EM** one, and introduced a disjunction between the centric geometrical entities and the eccentric ones. By this way, all the entities of **centric mathematics** in 2 D was named **centrics** (circular centrics, square centrics, triangular centrics, elliptical centrics, hyperbolic centrics, etc.) and those of **eccentric mathematics** was named as **eccentrics** (circular eccentrics, elliptic eccentrics, hyperbolic eccentrics, parabolic eccentrics, spiral eccentrics, cycloid eccentrics, etc.).

If the 2D **centric** entities can remain to the actual denominations (circle, square, ellipse, spiral, etc.) at the **eccentric** ones one have to specify also the teh denomination of **eccentrics**. The same thing is available for 3D entities: **the centric** ones (sphere, ellipsoid, cube, paraboloid, etc) can carry, further, the old denominations, and for the new ones, the **eccentric** ones, it is necessary to specify that they are **eccentric**. That means: eccentric sphere, eccentric ellypsoid, eccentric cube, eccentric paraboloid, etc.

With the new SM functions, like eccentric amplitude axe θ and Axe α , of eccentric variable θ and, respectively, **centric α , beta eccentric** bex θ și Bex α , radial eccentric rex and REX, eccentric derived dex θ and Dex α , etc., which having no equivalents in **centric / (CM)**, doesn't need other denominations for determining the mathematical domain where they belongs.

By way of exception are the last two **FSM-CE**, $\text{re}\alpha$ și $\text{dex}\alpha$, ($\theta = \alpha$), to which ones are discovered, later, equivalents in **centrics**: the **centric radial** function **rad α** , which is the direction fazor α and the **centric derived dera**, which is the direction fazor $\alpha + \frac{\pi}{2}$, fazors reciprocal perpendiculars.

SUPERMATHEMATICAL HYBRIDIZATION AND METAMORPHOSIS THE CONSEQUENCES OF THE NEW SPACE DIMMENSIONS

The space is an abstract entity which reflects an objective form of matter's existence. It shows like a generalization and abstractization of the parameters assembly through which is achieved the **distinction between different systems** that forms a condition of the Universe.

It is an objective and universal form of matter's existency, inseparable from the matter, which has the aspect of a tri-dimensional continuum and expresses the order of the real world's objects coexistence, [their position, distance, size, form and extension](#).

In conclusion, one can say that the space appears like a synthesis, like a generalization and abstractization of the observations about a condition, in a certain moment, of the Universe. Within the classical mechanics, the notion of space is that of the tridimensional Euclidian space (E3), homogenous, isotropic, infinite.

When one discuss about the space, the first thought is directed to the **position**, that means the notion of position is directly associated with that of the notion of space. The **position** is expressed in terms of a reference system, or shortly, by a coordinate system.

A tridimensional object has in the E^3 6 variances, made of the 3 translations, on **X**, **Y** and **Z** directions and of the **3 rotations**, around the axis **X**, **Y** and **Z**, noted, respectively, by **θ** , **ϕ** , **ψ** in Mathematics and in Mechanics and with **A**, **B** and **C** in technology and in robotics.

An object can be "created", or more specifically, its image can be reproduced in the virtual space, when appears in the 3D space, on the display of a computer, by using some technical programs (CAD) or commercial mathematical programs (MATHEMATICA, MATLAB, MATHCAD, MAPLE, DERIVE, etc.), or special ones, which use **Eccentric-FSM**, **Elevated** and/or **Exotic** - for objects describing, as at **SM-CAD-CAM**.

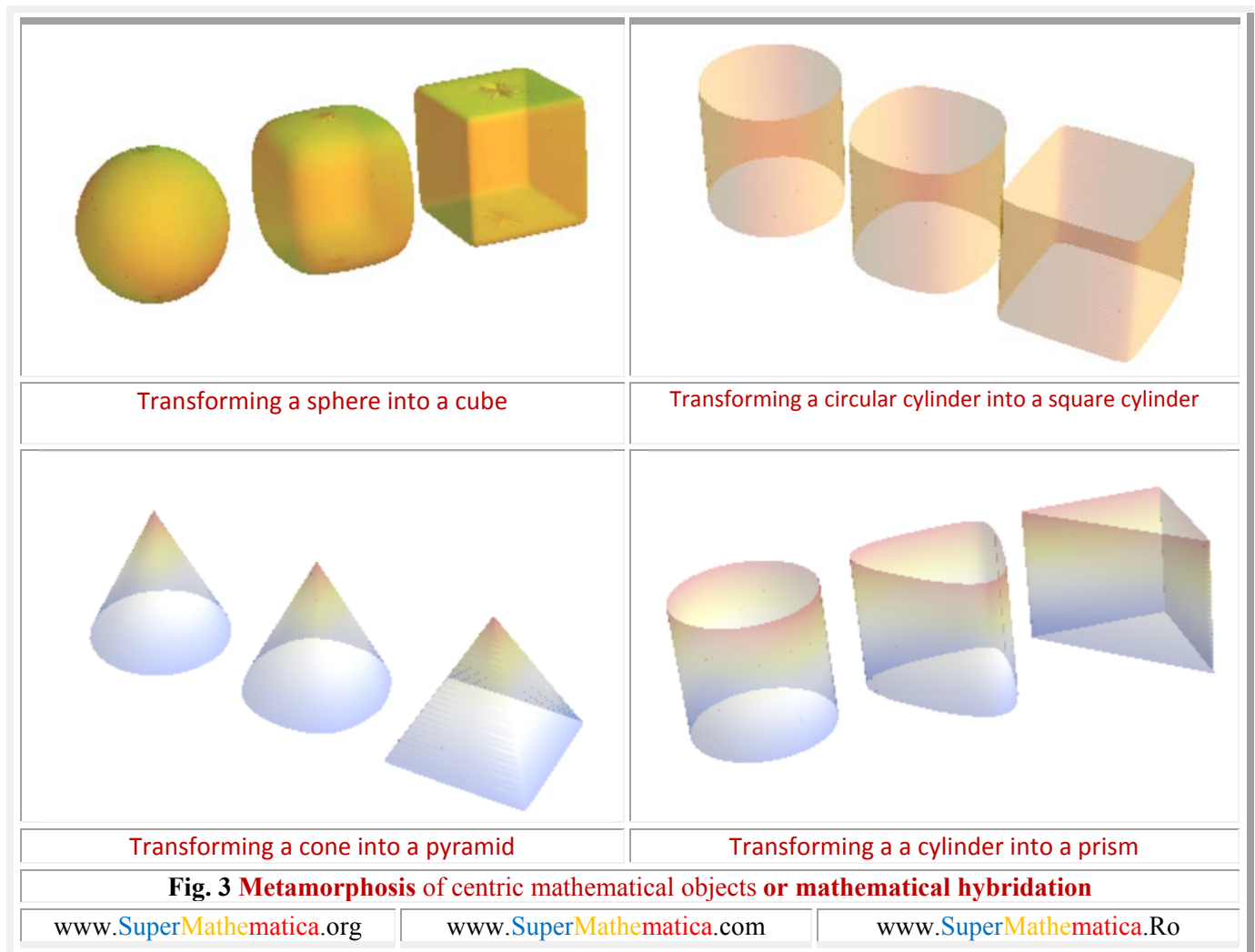
By **modifying the eccentricity**, the known and formed objects in the centric domain of the supermathematics (**SM**), that means, in centric mathematics (**MC**), can be deformed in the eccentric domain of the **SM**, therefore, in the eccentric mathematics (**ME**) and transformed, initially, in hybrid objects, proper to **ME**, and after that, to be re-transformed in other kind of objects, known in **MC**. As an example, by deforming a perfect **cone** ($s = 0$) into a **cono-pyramid** [$s \in (0, 1)$] with the base a perfect square and conical tip, which constitutes hybrid objects, placed between a cone and a pyramid, up to transforming it into a perfect **pyramid** ($s = \pm 1$) with a perfect square base (Fig 3). In the fact, the object can be achieved by different machine works (see **Mircea Șelariu**, Chap.17, **Dispozitive de prelucrare**, PROIECTAREA DISPOZITIVELOR, EDP, București, 1982, coordinator **Sanda-Vasii Roșculeț**], by forming, (casting, sintering), deforming (at worm and cold), dislocation (cutting, chipping, erosion, grinding) and by **aggregation** (welding and binding).

In both cases, **movements** of the tool and/or of the piece are needed, respectively, of the bright spot which delimitates a pixel on the screen and passes from a pixel to another.

The movement is strongly linked to space and time.

The mechanical movement can be of the:

- corps, and implicit, objects **forming** in time ;
- objects **position changing** in time, or of its parts, named corps, in relation to other corps, chosen as referentials.
- corps **form changing** in time, and implicit, of the objects form, by **deforming** them.



The Space reflects the coexistence relationship between objects and events, or parts of them, by indicating:

- their **expansion**/bigness, named **gage dimension**;
- the objects **position**, through **linear coordinates X, Y, Z**, in 3D space, named **localization dimensions**;
- the objects **orientation**, in 3D space, through the **angular coordinates ψ, ϕ, θ** , or A, B, C, named **orientation dimensions**.
- the relative **positions** or distances between the objects, named **positioning dimensions**, if refers to the absolute and/or relative orientation and localization of the objects, and if it refers to parts of them, named corps, then they are named **coordination dimensions**;
- the form of the objects and, respectively, the phenomena evolution, named **forming dimensions**, which defines, at the same time, the objects defining equations;
- the deformation of the objects and phenomena evolution changing, named **dimensions deformation** or **eccentricities**.

- The last space dimension, **eccentricity**, by making possible the apparition of **eccentric mathematics** (**EM**) and by making the pass through from centric mathematics domain to the eccentric mathematics one, as well as the leap from a single mathematical entity, existent in Mathematics and in the **centric** domain, to an infinity of entities, of same kind, but more and more deformed, once the numerical eccentricity value s is growing, up to their transformation in other kind of objects, also existent in the centric domain. An example, became already classical, is the continuous deforming of a sphere until it is transformed into a cube (**Fig. 3**), by using the same **formation dimensions** (parametric equations), both for the sphere and for the cube, by changing only the eccentricity: being $s = e = 0$ for the sphere of radius R and $s = \pm 1$, or $e = R$, for the cube of leg $L = 2R$.
- For $s \in [(-1, 1) \setminus 0]$ one obtain **hybrid objects** , proper for eccentric mathematics (**EM**), previously non-existent in mathematics, or, more specific, in Centric Mathematics (**CM**)
- As shown before, the **straight line** is an unidimensional space, and, concurrently, in **Supermathematics** (**SM**), a **bent** of zero eccentricity [8].

By increasing the eccentricity, from zero to one, it transforms the straight line into o broken line, both existing and known in **Centric Mathematics**, but not the rest of the bents, which are proper to **Eccentric Mathematics**, being generated by **FSM-CE** eccentric amplitude. In this way, the straight line with angular coefficient $m = \tan\alpha = \tan\frac{\pi}{4} = 1$ which pass through the point $P(2, 3)$ has the equation

$$(1) \quad y - 3 = x - 2,$$

and the bents family, from the same family with the straight line, has the equation

$$(2) \quad y [x, S(s, \varepsilon)] - y_0 = m \{aex [\theta, S(s, \varepsilon)] - x_0\},$$

$$(3) \quad y - y_0 = m \{ \theta - \arcsin[s \cdot \sin(\theta - \varepsilon)] \} - x_0, \quad m = \tan\alpha,$$

in eccentric coordinates θ and, in centric coordinates α , the equation is

$$(4) \quad y[x, S(s, \varepsilon)] - y_0 = m (Aex [\theta, S(s, \varepsilon)] - x_0),$$

$$(5) \quad y - y_0 = m \left\{ \alpha + \arcsin \frac{s \cdot \sin(\alpha - \varepsilon)}{Rex\alpha} - x_0 \right\}, \quad m = \tan\alpha,$$

$$(6) \quad y - y_0 = m \left\{ \alpha + \arcsin \frac{s \cdot \sin(\alpha - \varepsilon)}{\sqrt{1 + s^2 - 2s \cdot \cos(\alpha - \varepsilon)}} - x_0 \right\}.$$

- The difference, for the two types of bents, of θ and of α , is that the θ ones are continuous only for the numerical eccentricity from the domain $s \in [-1, 1]$, while the α ones are continuous for all the values possible for s , it means $s \in [-\infty, +\infty]$.
- The broken line is known in Centric Mathematics (**CM**), but without knowing their equations! That is not the case anymore in **SM** and, obviously, in **EM** where it is obtained for the value $s = 1$ of the **numerical eccentricity** s .
- A similar phenomenon of mathematical metamorphosis, through which from **CM** a known object pass through the eccentric mathematics (**EM**) taking hybrid forms and returns in the centric mathematics (**CM**), as another type of object (**Fig.3**), is considered to take place also in physics: from vacuum continuously appears particles and they return back into to vacuum. Are they the same or are they other ones?
- The cosmology has a theory which applies to the whole universe, enounced by Einstein in 1916: **the General Relativity**. It says that the gravitational force, which acts on the objects, acts also on the structure of space, which loses its rigid and immutable frame, becoming flexible and curved, depending of the contained matter or energy. In other words, **the space is deforming**.

The space-time continuum, of general relativity, is not conceived without a content, so it not admits the vacuum! As Einstein said to the journalists that beg him to resume his theory: "Before, **one believed** that, if all the things would disappear from the Universe, the space and time will still be here, whatever. In the

theory of general relativity, the time and space disappears, together with the disappearance of the other things from the Universe.”

- As one said before, $\mathbf{s} = \mathbf{e} = 0$ is the world of CM, of the linearity, of perfect, ideal entities, as long as the infinite possible values referable to the eccentricities \mathbf{s} and \mathbf{e} , give birth to **EM** and, at the same time, to worlds that belongs to the reality, to the imperfect world, which are farther of the ideal world as \mathbf{s} and \mathbf{e} are farther from zero.
- What happens if $\mathbf{e} = \mathbf{s} \rightarrow 0$? The real world, as **EM** too, disappears, and because an ideal world cannot exist, everything disappears!
- As shown in the author’s theory from SUPERMATEMATICA. Fundamente, Vol. I, Editura POLITEHNICA, Timișoara, Cap. 1 INTRODUCERE [23], [24], the expansion of the Universe is a process of developing the order into absolute chaos , a progressive passing-through of the chaotic space in a more and more pronounced order.
- As a conclusion, the space, and also the time, is **forming and deforming**, it means that the space eccentricity, of a certain value, takes to a space **forming**, and then, by modifying its value, the space **deforms/modifies** itself.
- The modified form of the the space is depending on the value of the eccentricity, which becomes o new space dimension: **the deformation dimension**.

Installing an object for machining in the working space of a modern machine tool, with computer numerical control (CNC) is very similar with “installing” a mathematical object in the R^3 tridimensional Euclidian space. Therefore, we will further use some notions from technological domain.

In technology, **installing** is the operation that precedes machining; only an installed object / piece can be machined. This involves the next phases or technological operations, in this sequence / order; only achieving one phase makes possible to pass to the next phase:

1. ORIENTATION, is the action or the operation where the object’s geometrical elements, which are **orientation technological referential bases**, shortly, orientation bases (**OB**), accept a well determined direction, regarding to the directions of a referential. In technology, this is regarding to the main and/or secondary working movements, and/or regarding the directions of dimensional arrangement movements of the technological system.

As **orientation bases (OB)** one can use:

a) A **plane** of the object, respectively a flat surface of the piece, if it exists; in that case, this surface, determined by three contact points between the object and the device, is named **emplacement of orientation technological referential base (EOB)**, or shortly, emplacement base (**EB**), being theoretically determined by the three mutual contact points of the piece with the device, which has the task to achieve the piece installing on the working machine. As **EB**, virtually, the most extended surface of the piece is chosen, if other positioning restrictions are not imposed, or that one from where the resulting surface after machining has the highest imposed precision, or parallelism constraints with **EB**.

By imposing the condition of mutual piece/device contact on **EB**, the object/piece loses 3 degrees of freedom, among them, a translation on the direction, let’s name it **Z**, perpendicular on **EB** (a plane) and two rotations: around the **X** axis, noted in technology with **A**, and around the **Y** axis, noted in technology with **B**.

The object/piece can also be rotated around the **Z** axis, rotation noted with **C** and can be translated on **EB** on **X** and **Y** directions, by permanently keeping contact with **EB**.

From this surface is established, in technology, the **z** coordinate, by example, as a distance between **EOB** and the machining technological base (**MTB**), or shortly, machining base (**MB**), that means the plane generated on the piece by the machining tool. In a surface is totally machined (by milling, as example, with large milling machines, for a single passage), then the other coordinates **y** and **x** can be established with a very large approximation, because they did not influence the plane surface precision achievement, at **z** distance of **EB**,

resulted after piece machining and named **MTP** or shortly, **MP**, whose technological demand is to be parallel to **EOB** and to be located at **z** distance from it.

The **z** dimension, being, in this case, a **forming dimension** of the piece, on the one hand and on the other hand also a **coordinating dimension** for tool/piece relative position, and from technological point of view, one of the **dimensional alignment dimensions** of the technological system **MDPT** (**Machine-Device-Piece-Tool**). Mathematically speaking, it's about two surfaces situated at **z** distance, it means parallel planes.

b) A straight line belonging to the object, if it exists, as axes on/or edges, as intersection of plane surfaces in Mathematics.

In Technology, the edges are avoided, because their irregularities, in other words because the deviations from semifabricates linear geometrical shape, and of the pieces too, after machining their semifabricates.

In Technology, this straight line is determined by the two points from a piece surface, other than **EB**, common to the piece and the device, which achieve the piece and device orientation base, as heteronymous elements, a straight line named **conducting orientation base (COB)** or shortly, **conducting base (CB)**, name derived from the fact that these two conducting elements, conducts/guides the movement of the object/piece for its localization, if the contact piece/device is permanently maintained during the movement. In this way, the **CB** takes over two degrees of freedom of the object: the translation on a direction perpendicular on the straight line determined by the two contact points between piece/device that materializes **CB**, translation on **Y** axis, as example, if **CB** is always parallel, with the **EB** from **XOY** plane, and the rotation around **Z** axis, noted in technology with **C**.

As **COB** is chosen, on principle, it's easy to understand why, by aiming the guiding precision, the longest surface of the piece, if other reasons are not imposed by the execution drawing.

From **COB** can be established/measured the level/dimension **y**, parallel to **EOB** and perpendicular on **COB**, as example, perpendicular on **z**, because **COB** is parallel with **EOB**.

Therefore, if the two points belongs to a parallelepipedical object, so bounded by plane surfaces, and **COB** is parallel with **EOB**, by maintaining the contact between piece/device on the two bases, by a translation movement, the piece can only be translated, in the device, on **X** direction, until it comes into collision with a **localization element**.

1) from this one, named localization element, namely **localization technological base (LTB)**, or shortly, **localization base (LB)** can be established the **x** coordinate/dimension perpendicular simultaneously on **y** and **z**. But without being coordinates/dimensions/concurrent segments in a common point **O(x,y,z)** as in mathematics, only if **COB** and **LTB** drops to the level **EOB**, and, in addition, **LTB** moves toward **COB** and will be contained in it, both going to be contained in **EOB**, so the point **O(x, y,z)**, as **LTB** will be a tip of the parallelepipedical piece, contained simultaneously in the **EOB** plane, the **CB** straight line in **LB** point, resulting, in this case, that $O(x,y,z) \equiv BL$

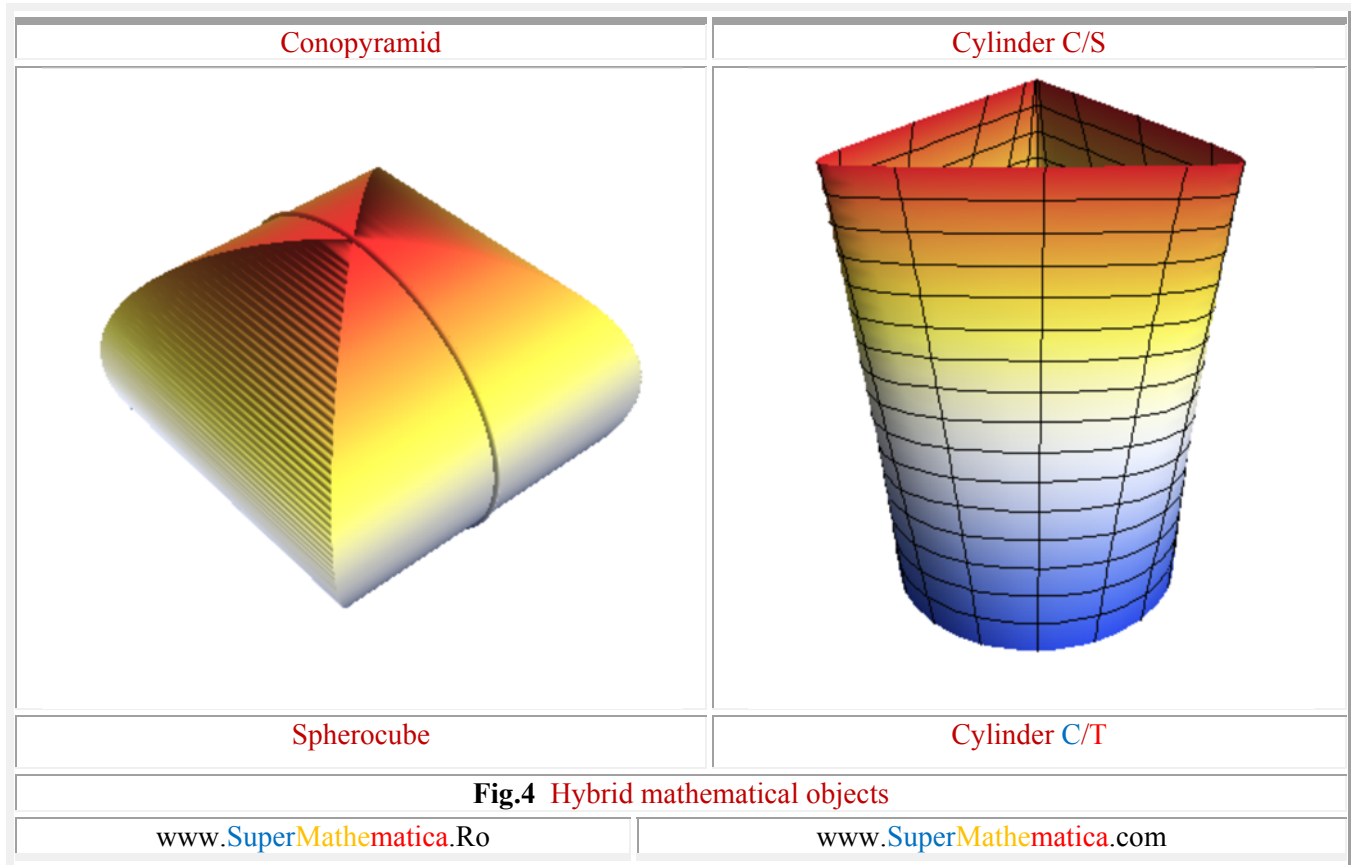
If the localization is achieved by a translation movement, as previously assumed, it is also named **translation localization (TL)**.

If the localization is achieved through a rotational movement of the object, it is named **rotational localization (RL)**. In this case, **CB** can be, or is, usually, a symmetry plane of the piece, by example a cylindrical one, a plane named **semicentering orientation base (SCOB)**, in the case of a semicentering, or an axis of a rotational surface (cylindrical or spherical) of the object, named **Centering orientation base (COB)**, around whom the object rotates until another corps of the piece come into collision with the rotation localization element. Or, until a locator gets into a muzzle perpendicular on **COB** or into a channel parallel with **COB**.

The objects which did not bring out **elements/orientation bases**, like the sphere in mathematics or the balls for ball bearings in technology, as example, are non-orientational objects.

1. LOCALIZATION, is the operation or the action to establish the place, in E^3 tridimensional Euclidian space, of an $O(x,y,z)$ point, characteristic for the object, which belongs to a orientating referential element

of this one, from which one are established the coordinates/linear dimensions x,y,z regarding a given referential system, or in technology, regarding the machining tool.



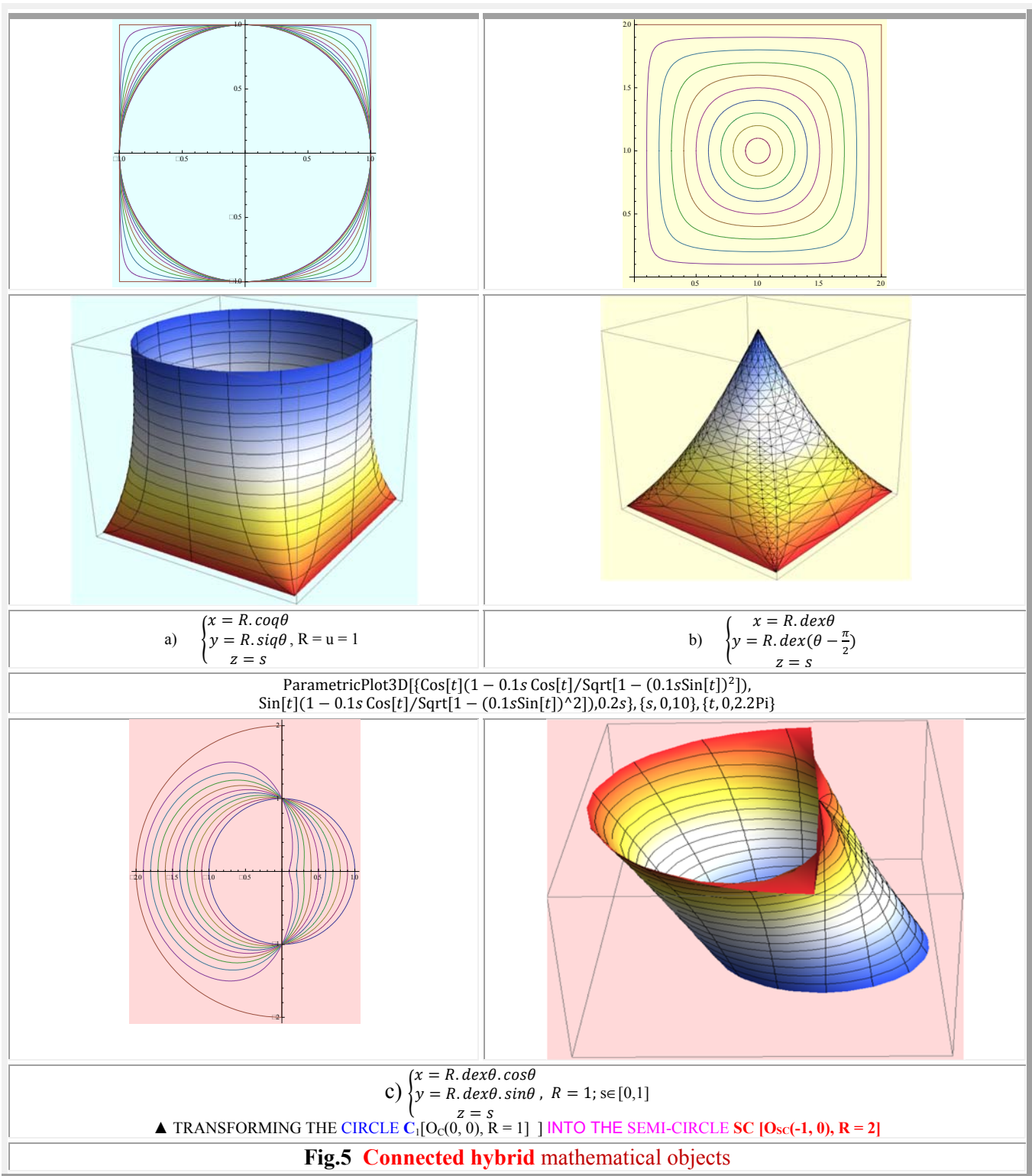
The $O(x,y,z)$ point of the **non-orientational** objects is the symmetry center of them, and of the **orientational** objects, like the parallelipedical ones, in Technology, as example, the $O(x,y,z)$ point is disseminated in three distinctive points, for each coordinate apart, $O_x \subset LB$ for x , $O_y \subset CB$ for y și $O_z \subset EB$ for z , as explained before.

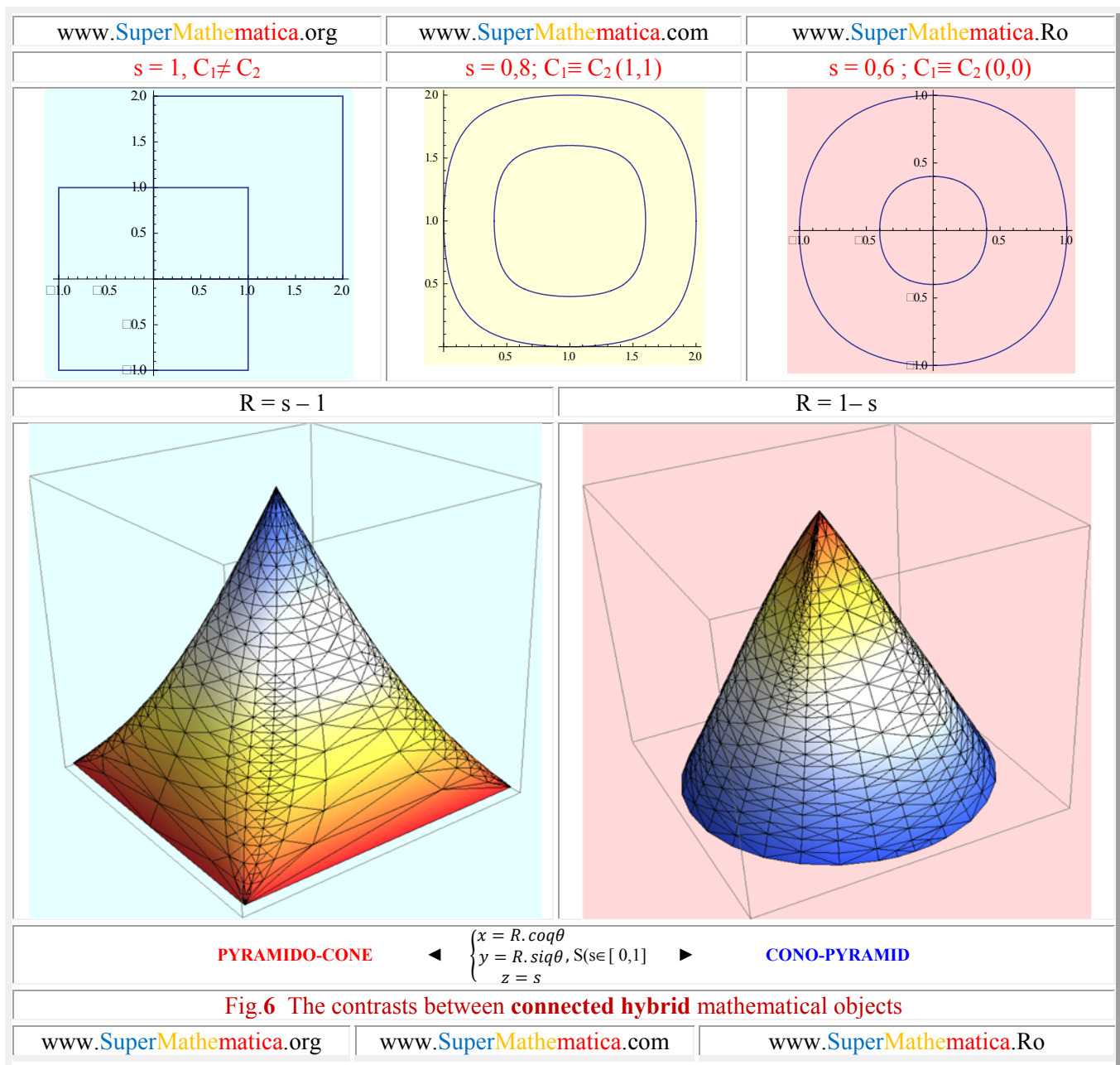
In the Technology, the succession orientation \rightarrow localization is compulsory; only an oriented object can be then located. Beside this, as in mathematics. First, one chose a reference system unitive with the $O(x,y,z)$ object, and after that, an invariant one (O, X, Y, Z) which one, initially, coincide with the other one, in 3D space or in the E^3 tridimensional one, and then are operated various translation and/or rotation transformations.

The union between orientation and localization represents the most important technological action/operation, named **positioning**, namely **orientation \cup localization = positioning**

If the object **positioning** is achieved/ finished/ fulfilled, then the relative position piece/device can be maintained by the operation of **anchorage** of the piece in the device.

Further, one can establish the distances/dimensions between the tool and the piece, so one can obtain the piece of dimensions and precisions imposed by the piece work drawing. This technological operation is named **dimensional adjustment**. With this, the installing process is finished, and the machining of the piece can be started





Reductively, installing an object is an union of positioning with anchorage and dimensional adjustment of the technological system, namely:

installing = pozitioning \cup anchorage \cup adjustment (dimensional)

In Technology, **the adjustment** can be achieved by (fixing) **force** or by **form** (which blocks the piece displacement during the machining). In Mathematics, the anchorage is “achieved” by **convention**.

By telling that the **(O, x,y,z)** system is linked to the piece, it cannot move anymore relative to the piece, but only together with the object, so they are “bonded” each other. Therefore, in Mathematics, the anchorage of

the elements relative to the reference systems, is a matter of course, it doesn't exist anymore, because in mathematics doesn't exist "mathematical forces". These belonging to the Mechanics, namely it's dynamics, also in mathematics doesn't exist machining tools, neither various coordinating dimensions, dimensional adjustments, dimensional machining, etc.

Therefore, in Centric mathematics (**CM**), only 3 **x, y and z** linear dimensions exists, which are, at the same time, forming dimensions of the 3D objects, by their parametric equations, by example.

Reductively, in this Centric mathematics (**CM**), entities as straight line, the square, the circle, the sphere, the cube e.a., are unique, while in the Eccentric Mathematics (**EM**), and implicit, in Supermathematics (**SM**), they are infinitely multiplied through **hybridation**, a hybridation possible by introducing of a new space dimension, the **eccentricity**.

The supermathematical Hybridation can be defined as the mathematical process of "cross-breeding" of two mathematical entities from **CM** (the circle, and the square, the sphere and the cube, the cone and the pyramid) and obtaining of a supermathematical **new entity** in **EM**, which is unknown/non-existent in **CM** (by example: **cono-pyramid**).

Through **metamorphosis** one understand a continuous passing from a certain entity, existing in **CM**, to another entity, also existing in **CM**, through an infinity of hybrid entities, appropriates only to **EM**. In other words, transforming a centric mathematical entity into another centric mathematical entity, an action that became possible inside the **Eccentric mathematics (EM)**, by using **supermathematical** functions.

By **metamorphosis** one obtain new entities, previously non-existent in **CM**, named **hybrid entities**, and also **eccentric** entities, or **supermathematical (SM)**, to differ the **centric** ones, also by name, because **by form**, they are essentially different.

The first object obtained through **mathematical hybridation** was the **cono-pyramid**: a supermathematical corps with the square base of a pyramid and the tip of a circular cone, resulting from the transformation of the unity square of $L=2$ into the unity circle of $R=1$ and/or viceversa (Fig. 4). The parametric equations of the cono-pyramid are obtained from the parametric equations of right circular cone, where the FCC are changed/converted with the corresponding quadrilobe supermathematical functions (**FSM-Q**).

$$\left\{ \begin{array}{l} x = u \cdot \text{coq}\theta = u \cdot \frac{\cos\theta}{\sqrt{1-s^2 \cdot \sin^2\theta}} \\ y = u \cdot \text{siq}\theta = u \cdot \frac{\sin\theta}{\sqrt{1-s^2 \cdot \cos^2\theta}} \\ z = u \end{array} \right. , \quad \text{for} \quad \left\{ \begin{array}{l} u = 1 - s, \quad s \in [0, 1] \blacktriangleright \text{CONO - PIRAMIDĂ} \\ u = s - 1, \quad s \in [0, 1] \blacktriangleright \text{PIRAMIDO - CON} \\ u = 1; \quad s = 1 \blacktriangleright \text{PĂTRAT}; \quad L = 2 \\ u = 1; \quad s = 0 \quad \blacktriangleright \text{CERC}; \quad R = 1 \\ u = 1; \quad s \in [0, 1] \blacktriangleright \text{CILINDRU C/P} \end{array} \right.$$

(Fig. 1, Fig. 3 și Fig. 5,a), because **FSM-Q** can achieve the contiuous transformation of the circle into a square and viceversa, also as **FSM-CE** eccentric derivate **dex_{1,2}θ**

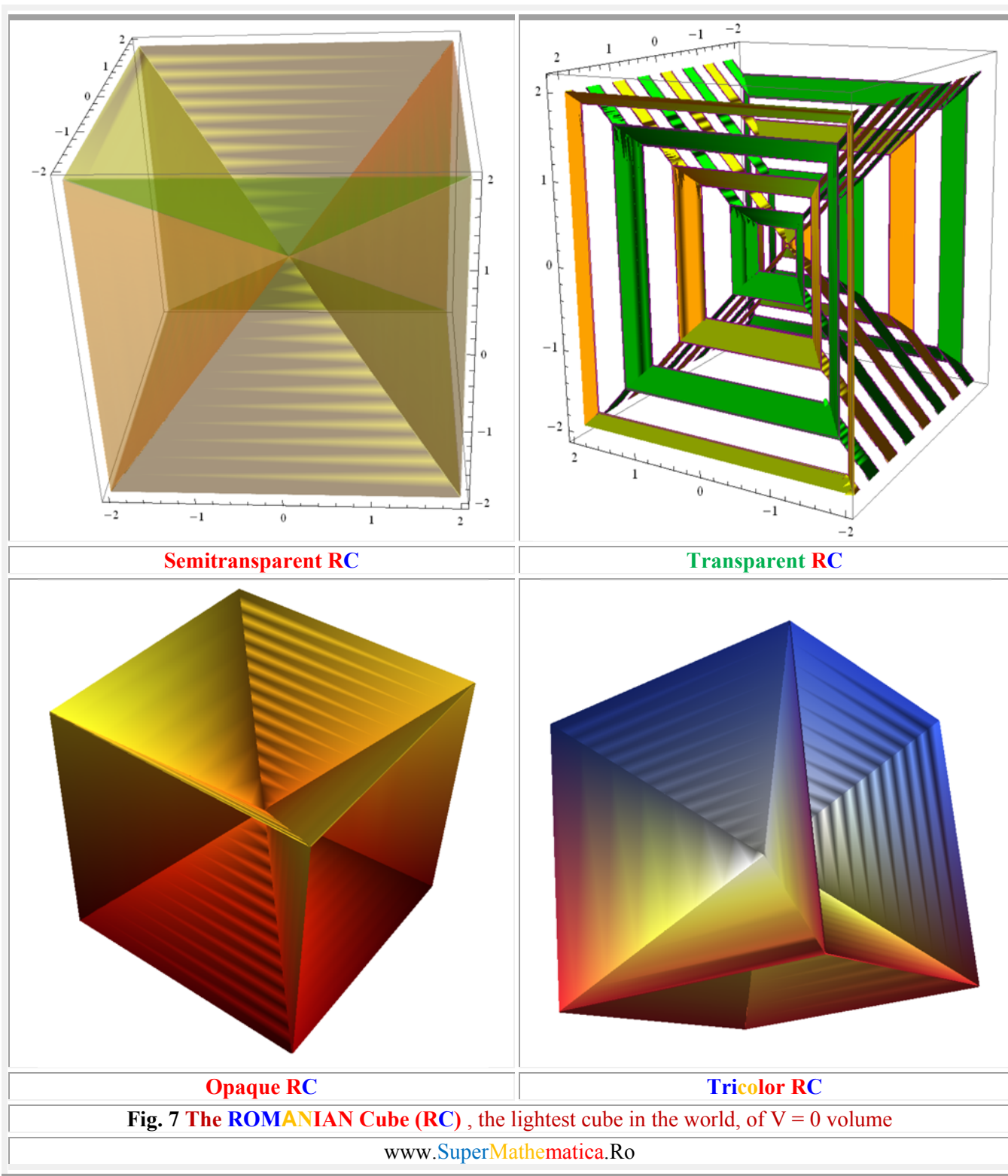
$$(7) \quad \left\{ \begin{array}{l} x = u \cdot \text{dex}\theta = u \left[1 - \frac{s \cdot \cos(\theta - \varepsilon)}{\sqrt{1 - s^2 \sin^2(\theta - \varepsilon)}} \right] \\ y = u \cdot \text{dex}\left(\theta - \frac{\pi}{2}\right) = u \left[1 - \frac{s \cdot \cos\left(\theta - \varepsilon - \frac{\pi}{2}\right)}{\sqrt{1 - s^2 \sin^2\left(\theta - \varepsilon - \frac{\pi}{2}\right)}} \right] \\ z = u \end{array} \right. , \text{pentru} \quad \left\{ \begin{array}{l} u = 1; \quad s = 0 \blacktriangleright \text{CON} \\ u = 1, \quad s = 1 \blacktriangleright \text{PIRAMIDĂ} \\ u = s \in [0, 1] \blacktriangleright \text{CONOPIRAMIDĂ} \\ u = 1; \quad s \in [0, 1] \blacktriangleright \text{Fig 5, c} \end{array} \right.$$

(Fig. 4 și Fig. 5,b și Fig. 5,c).

The relations (7) are expressed with the help of quadrilobes **FSM-Q**, introduced in Mathematics since 2005, in the work [19], quadrilobe cosine **coqθ** and quadrilobe sine **siqθ**.

The (7) and (8) equations express the same forms, but with following remarks:

- Of a **circle** only for an eccenter $S(s = 0, \varepsilon = 0)$, with the difference that the first one (7) has the radius $R = 1$, and the other one (8) has the radius $R = 0$, Fig. 6, up ▲;
- Of a **square** for an eccenter $S(s = 1, \varepsilon = 0)$, of the same dimensions $L = 2R$, as one can see in the figure 6., but centered in different points; one is centered in the origin $O(0, 0)$, the one expressed by the



- relations (7), and the other one is ex-centered, centered eccentrical relative to the origin $O(0, 0)$ - in the point $C(1,1)$;
- Of a **quadrilobe** (neither circle and neither square, namely an infinity of hybrid forms, between circle and square). For the same numerical eccentricity $s \in (0, 1)$, which characterizes the **mathematical excenter (ME)** domain, they has the same forms, but are of different dimensions; the first one, having higher dimensions then those expressed with $dex\theta$ function, what can be concluded also from the **figure 5,b** from 2D.

One can see that the dimension of the quadrilobes expressed by the relation (8) by $dex\theta$ decrease as eccentricity increase.

The Romanian cube from the **Fig 7**, “**the lightest cube of the world**”, is the cube with zero volume, obtained from 6 pyramids, without their square base surfaces, with the common tip in the cube’s symmetry center.

In this case, the pyramid was expressed through the relations (7), by quadrilobe functions of $s=1$.

As a conclusion, **supermatematics** offer multiple possibilities to express different mathematical entities from **center mathematics (CM)**, and, at the same time, an infinity of hybrid entities from the **eccentric mathematics (EM)**.

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