

Smarandache Curves Obtained from Salkowski Curve

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ABSTRACT

Salkowski curve is a special curve whose first curvature variable, second curvature constant. Similar type Anti-Salkowski curve is the first curvature variable, second curve constant is a special curve. In this paper, tackled Salkowski curves that were gained to science thanks to studies DNA on the spiral of German a chemist Ernst Leopold Salkowski (1844-1923). First, {*T*,*N*,*B*} the Frenet frame obtained when received as a position vectors the Frenet vectors of the Salkowski curve, Smarandache curves were obtained using this Frenet frame. Tangent vector T with principal normal vector N for TN-Smarandache, tangent vector T with binormal vector B for TB-Smarandache, binormal vector B with principal normal vector N for NB-Smarandache, tangent vector T the binormal vector B principal normal vector N for TNB-Smarandache and this of Smarandache curves calculated second curvature with first curvature for each. Second, $\{T^*, N^*, B^*\}$ the Frenet frame obtained when received as a position vectors the Frenet vectors of the Salkowski curve, Smarandache curves were obtained using this Frenet frame. Tangent vector T^* with principal normal vector N^* for T^*N^* -Smarandache, tangent vector T^* with binormal vector B^* for T^*B^* -Smarandache, binormal vector B^* with principal normal vector N^* for N^*B^* -Smarandache, tangent vector T^* the binormal vector B^* principal normal vector N* for T*N*B*-Smarandache and this of Smarandache curves calculated second curvature with first curvature for each.

Key Words: Salkowski curve, smarandache curve.

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